

International Statistical Ecology Conference 2024

The scale-dependency of biotic interactions species associations in the eyes of integrated species distribution models

Florencia Grattarola, Gurutzeta Guillera-Arroita,
José Lahoz-Monfort, and Petr Keil



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CSIC
SUPERIOR DE INVESTIGACIONES CIENTÍFICAS

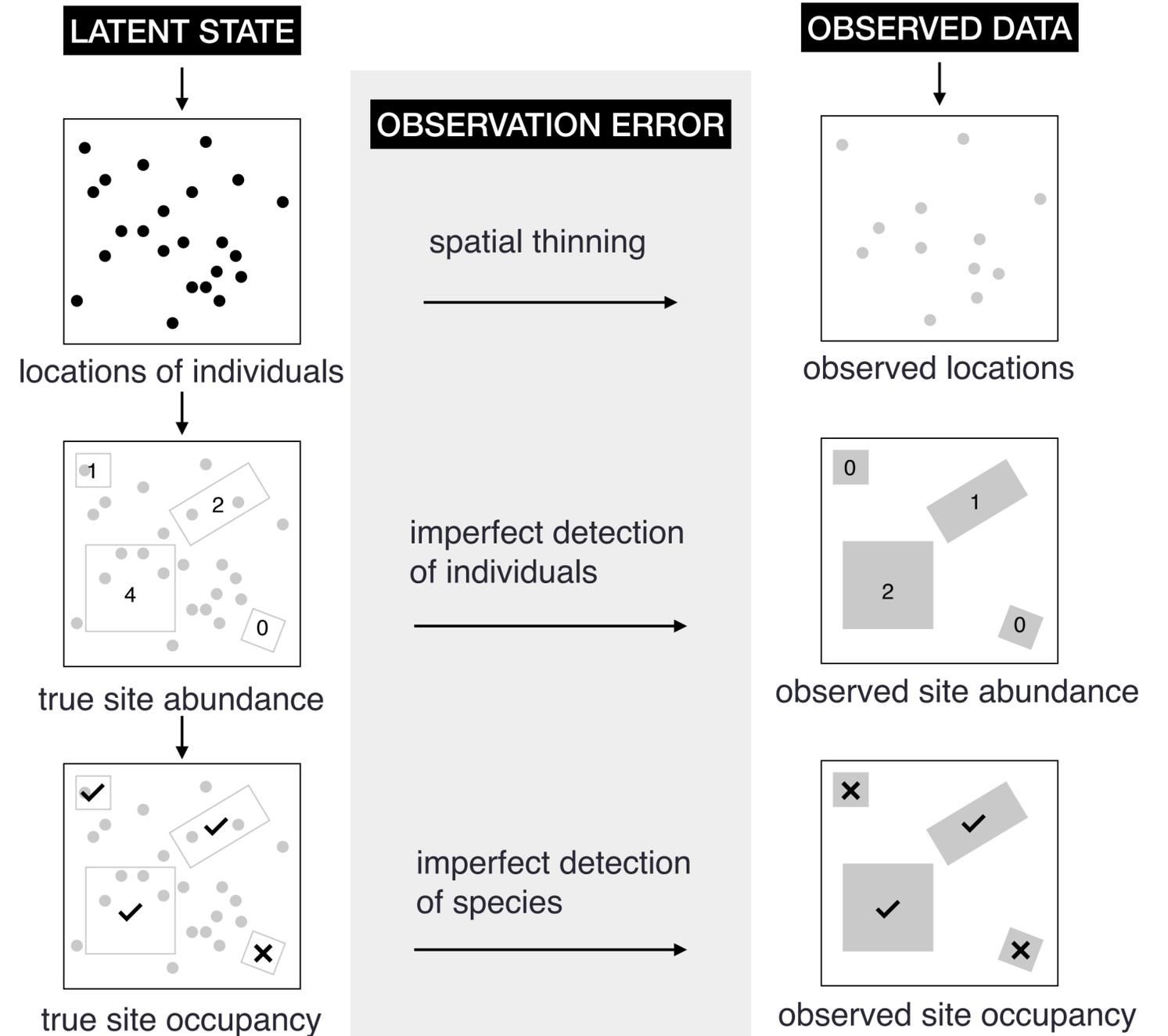


Instituto
Pirenaico
de Ecología

Integrated species distribution model

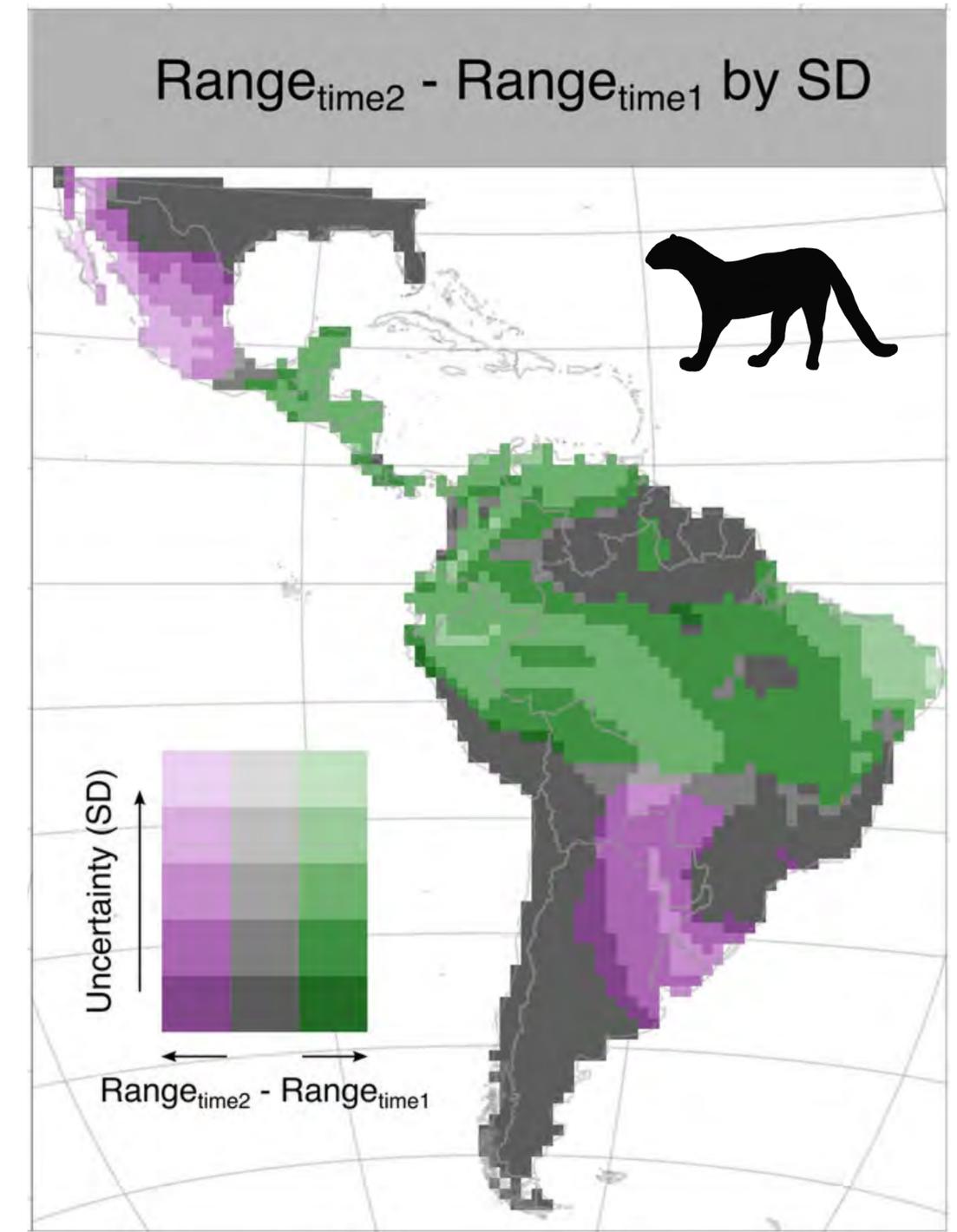
ISDM

- Multiple data sources at multiple scales



Isaac et al. (2020)

jaguarundi (*Herpailurus yagouaroundi*)

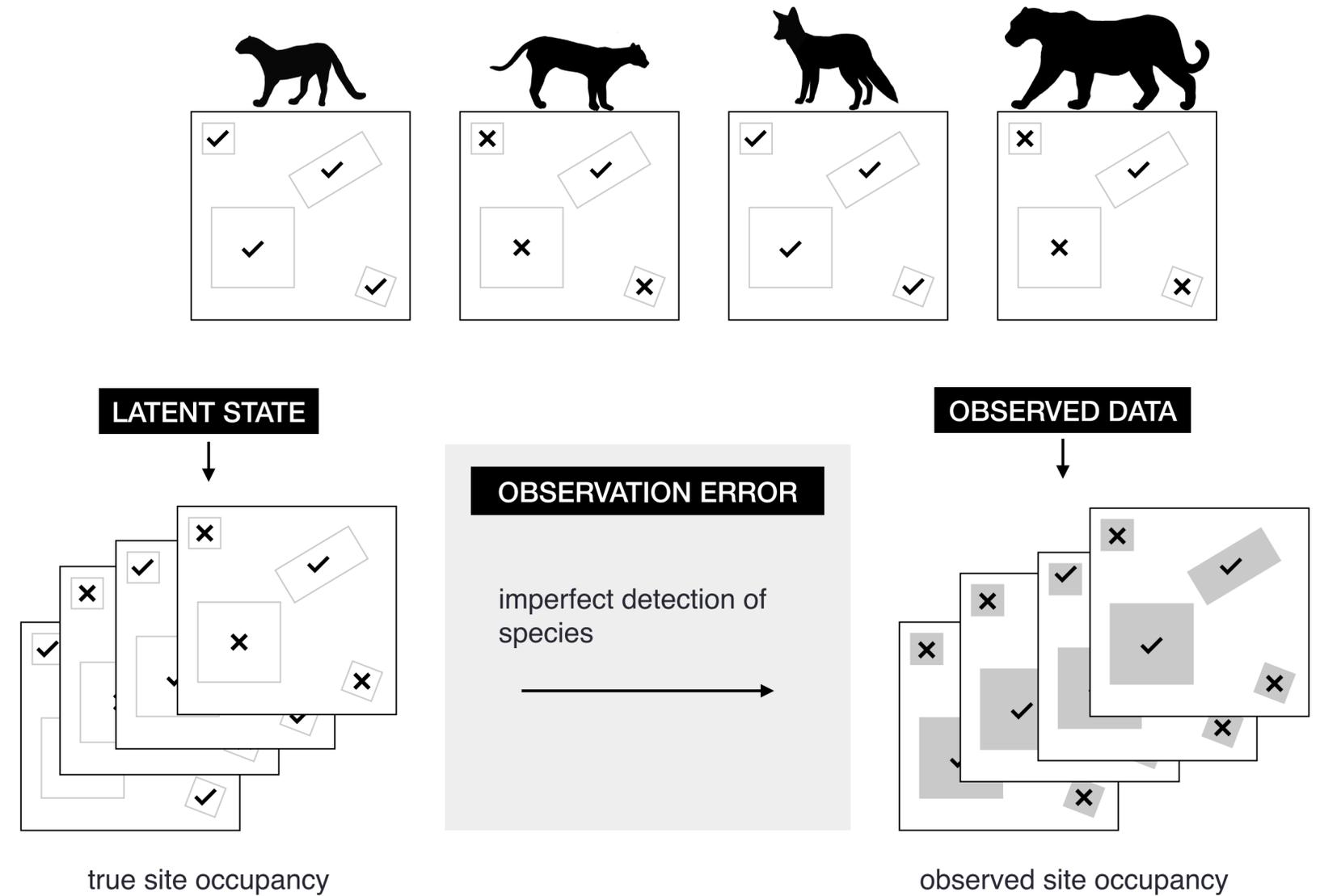


Grattarola, Florencia, Diana E. Bowler, and Petr Keil. 2023. 'Integrating Presence-Only and Presence–Absence Data to Model Changes in Species Geographic Ranges: An Example in the Neotropics'. *Journal of Biogeography* 50(9): 1561–75. doi:10.1111/jbi.14622.

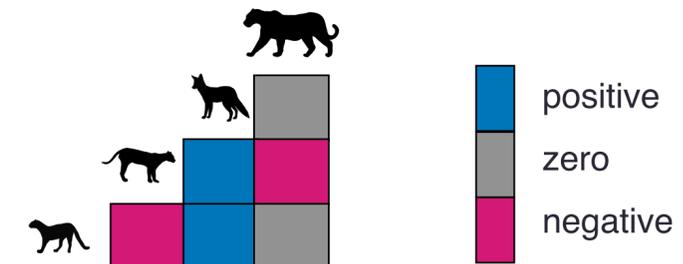
Joint species distribution model

JSDM

- Multiple species (co-occurrence)



Warton et al. (2015)





ELSEVIER

GfÖ

GfÖ Ecological Society of Germany,
Austria and Switzerland

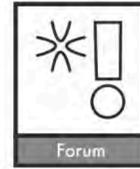
Basic and Applied Ecology 13 (2012) 371–379

**Basic and
Applied Ecology**

www.elsevier.com/locate/baaec

Patterns of coexistence of two species of freshwater turtles are affected by spatial scale

P. Segurado^{a,b,*}, W.E. Kunin^c, A.F. Filipe^d, M.B. Araújo^{a,e,f}



Ecography 37: 406–415, 2014
doi: 10.1111/j.1600-0587.2013.00643.x
© 2013 The Authors. This is an Online Open article
Subject Editor: Carsten Rahbek. Accepted 21 October 2013

The geographic scaling of biotic interactions

Miguel B. Araújo and Alejandro Rozenfeld

Global Ecology and Biogeography, (Global Ecol. Biogeogr.) (2015) **24**, 750–761

RESEARCH
PAPER



Empirical evidence for the scale dependence of biotic interactions

Jonathan Belmaker^{1,*†}, Phoebe Zarnetske^{2,3†}, Mao-Ning Tuanmu⁴,
Sara Zonneveld^{3,5}, Sydne Record^{2,6}, Angela Strecker⁷ and Lydia Beaudrot⁸

ECOGRAPHY

Forum

Do joint species distribution models reliably detect interspecific interactions from co-occurrence data in homogenous environments?

Damaris Zurell, Laura J. Pollock and Wilfried Thuiller

RESEARCH ARTICLE

Journal of Ecology



Scale dependence of ecological assembly rules: Insights from empirical datasets and joint species distribution modelling

Heidi K. Mod^{1,2} | Mathieu Chevalier¹ | Miska Luoto² | Antoine Guisan^{1,3}

RESEARCH ARTICLE

Journal of
Biogeography



Species associations in joint species distribution models: from missing variables to conditional predictions

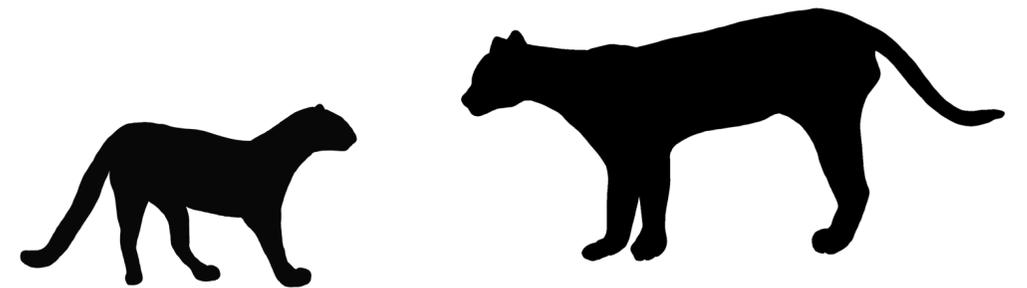
Clément Vallé¹ | Giovanni Poggiato^{2,3} | Wilfried Thuiller² | Frédéric Jiguet¹ |
Karine Princé¹ | Isabelle Le Viol^{1,4}

Our goal

ISDM + JSMD



Can fine-scale associations be detected using coarse-grain data with IJSDMs?



Methods

Methods

1. Data simulation:
 - A. Environmental predictor
 - B. Species data
2. Fit an IJSDM
3. Check the identifiability and coverage of model parameters

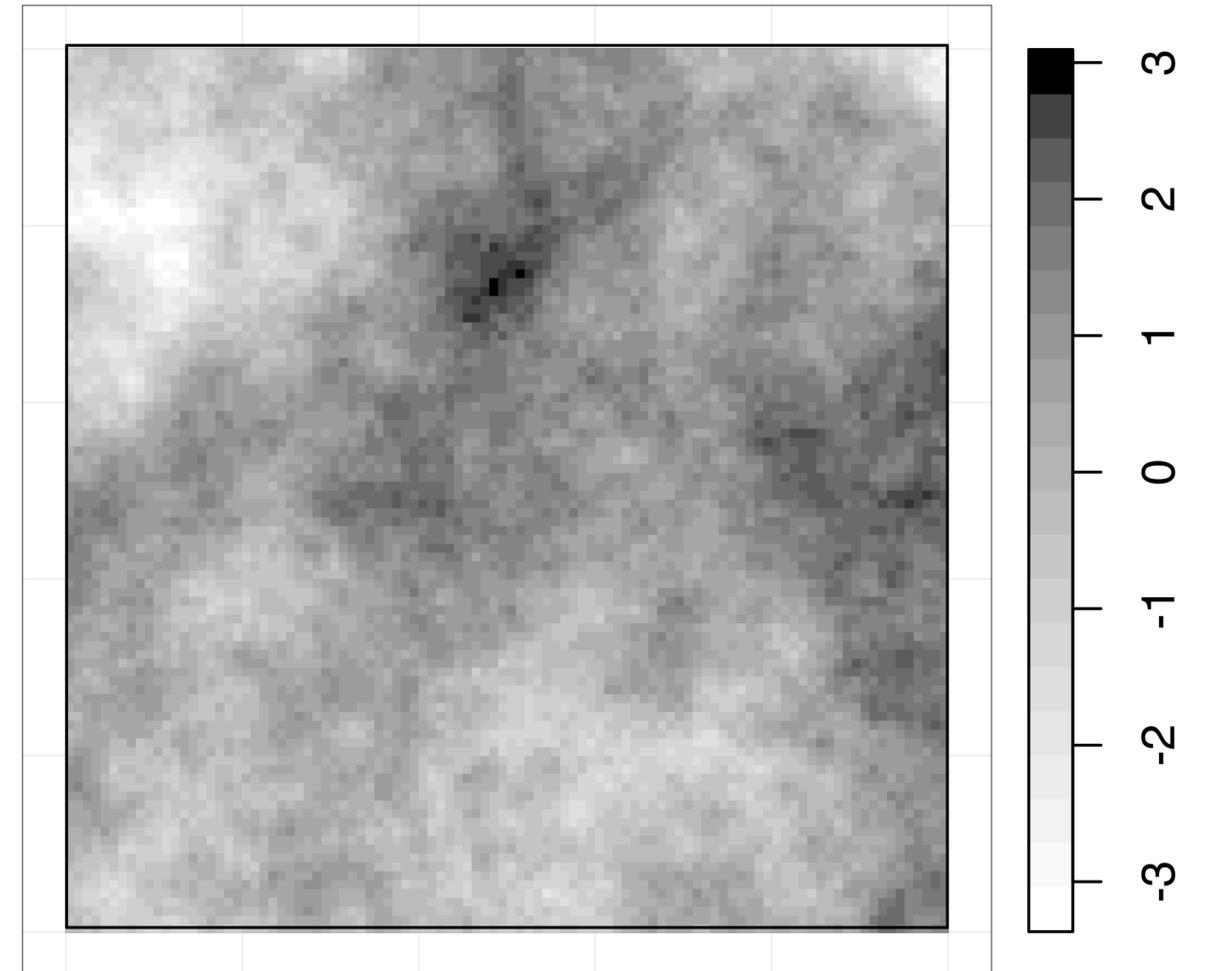
Data simulations

Environmental predictor

- We simulated a hypothetical **temperature** predictor as a spatially autocorrelated environmental raster at a resolution of 100x100 grid cells (fine-grain).

Note: We used the same raster for all simulations

temperature



Data simulations

Species data

Point pattern

$$\lambda_1 = \exp(\alpha_1 + \beta_1 \times \text{temp} + e_1)$$

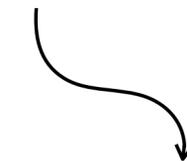
$$\lambda_2 = \exp(\alpha_2 + \beta_2 \times \text{temp} + e_2)$$

Correlated error

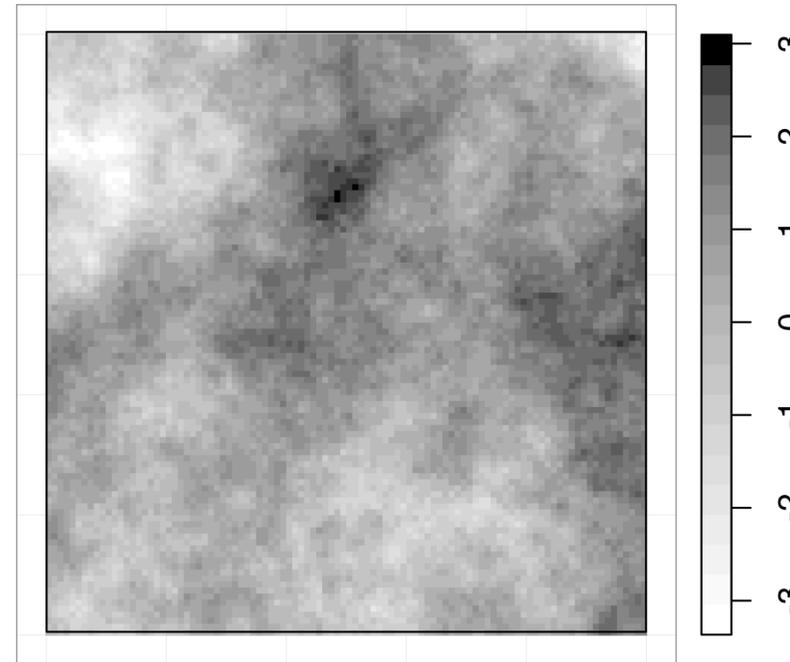
$$e_{ij} \sim \text{MVN}(0, \Sigma)$$

$$\Sigma = \begin{bmatrix} \text{var}_1 & \text{cov}_{1,2} \\ \text{cov}_{2,1} & \text{var}_2 \end{bmatrix}$$

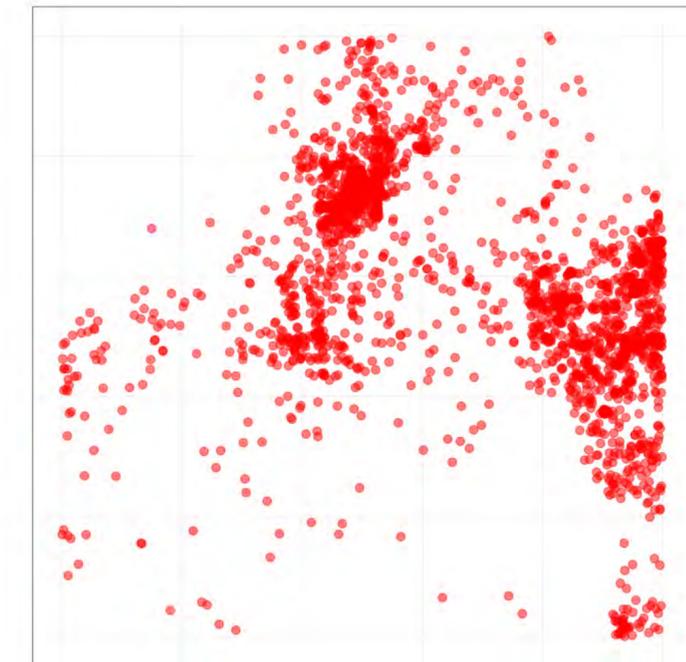
covariance
(degree of
species
association)



temperature

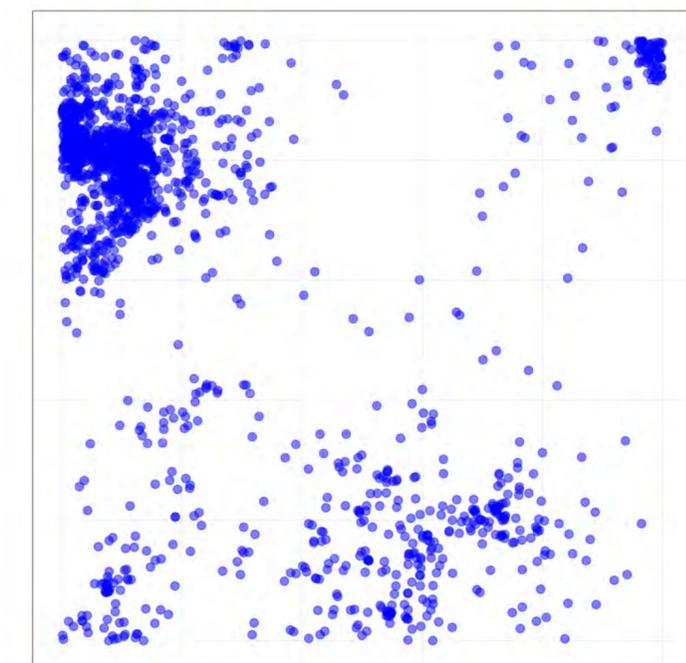


point pattern of species₁



$$\begin{aligned} \alpha_1 &= 5 \\ \beta_1 &= 2.5 \\ \text{cov}_1 &= 0.9 \end{aligned}$$

point pattern of species₂

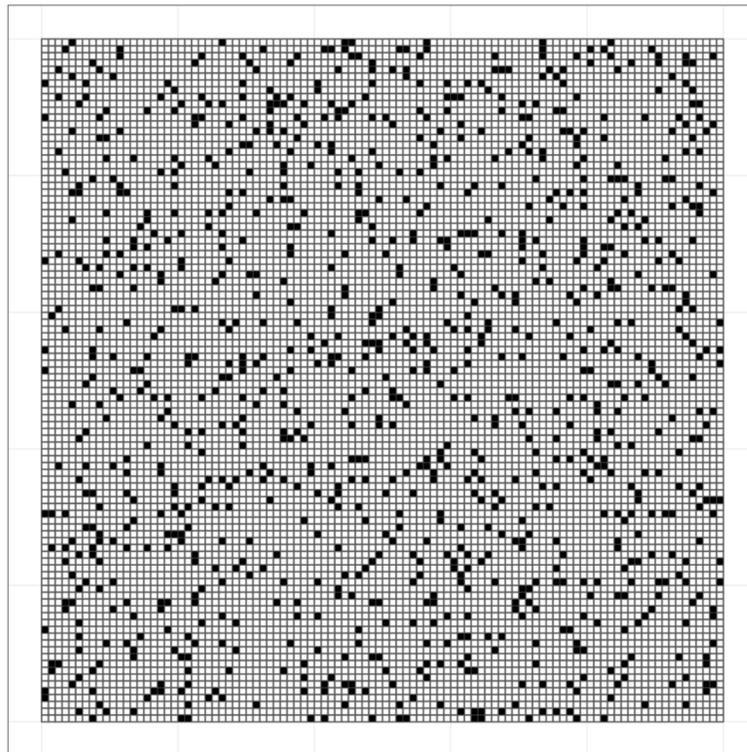


$$\begin{aligned} \alpha_2 &= 5 \\ \beta_2 &= -2 \\ \text{cov}_2 &= 0.9 \end{aligned}$$

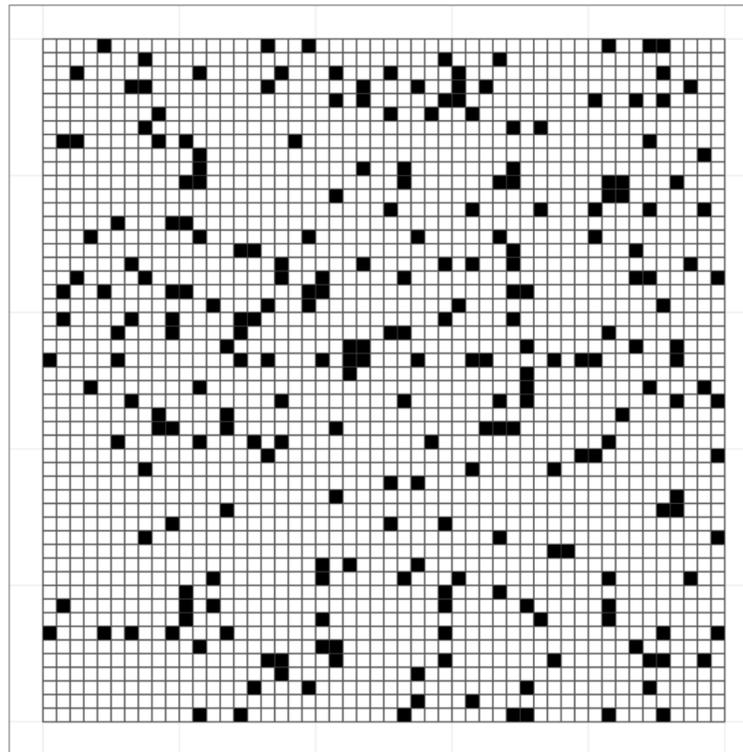
Data simulations

Sampling sites of varying grain size

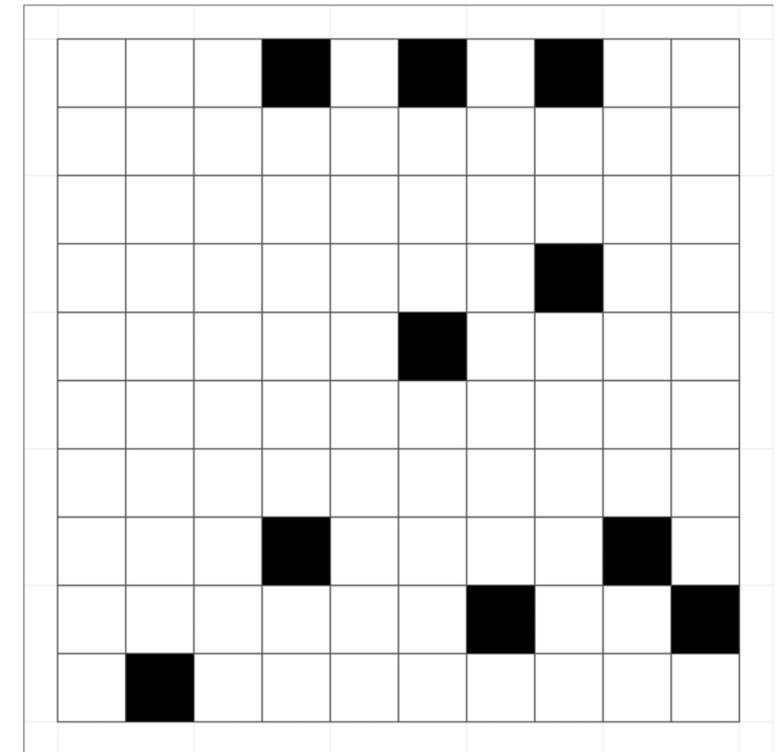
sampling sites at
100x100 grain



sampling sites at
50x50 grain



sampling sites at
10x10 grain



black cells are 10% of cells, representing hypothetical discrete sampling sites

IJSDM

Abundance

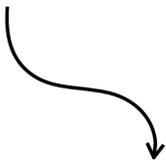
OBSERVED DATA

$$AB_{i,j} \sim \text{Poisson}(\phi_{i,j})$$

sites, i , where $i \in 1 : n_i$
species, j , where $j \in 1 : n_j$

LATENT STATE

$$\begin{aligned} \log(\phi_{i,1}) &= \alpha_1 + \beta_1 \times \text{temp}_i + e_{i,1} + \log(\text{area}_i) \\ \log(\phi_{i,2}) &= \alpha_2 + \beta_2 \times \text{temp}_i + e_{i,2} + \log(\text{area}_i) \end{aligned}$$

area of each
grid cell


$$\begin{aligned} e_{i,j} &\sim \text{MVN}(0, \tau) \\ \tau &= \Sigma^{-1} \end{aligned}$$

IJSDM

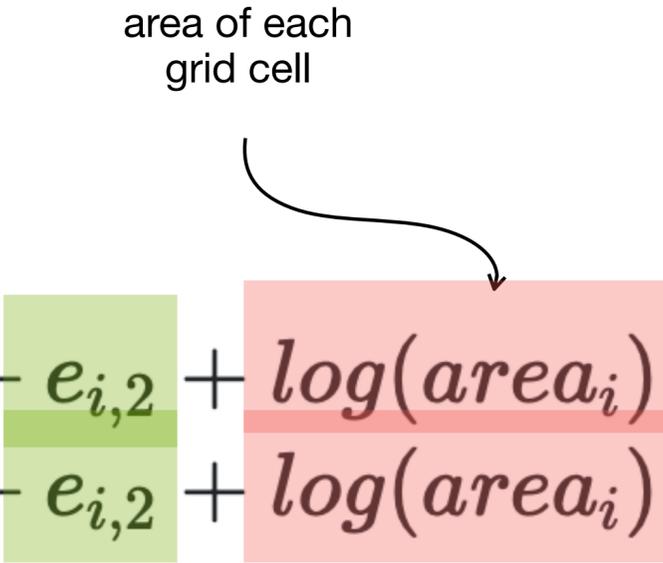
Presence-absence

OBSERVED DATA

$$PA_{i,j} \sim \text{Bernoulli}(\psi_{i,j})$$

sites, i , where $i \in 1 : n_i$
species, j , where $j \in 1 : n_j$

LATENT STATE

$$\begin{aligned} \text{cloglog}(\psi_{i,1}) &= \alpha_1 + \beta_1 \times \text{temp}_i + e_{i,2} + \log(\text{area}_i) \\ \text{cloglog}(\psi_{i,2}) &= \alpha_2 + \beta_2 \times \text{temp}_i + e_{i,2} + \log(\text{area}_i) \end{aligned}$$


$$\begin{aligned} e_{i,j} &\sim \text{MVN}(0, \tau) \\ \tau &= \Sigma^{-1}. \end{aligned}$$

Methods

Data simulations: parameter set

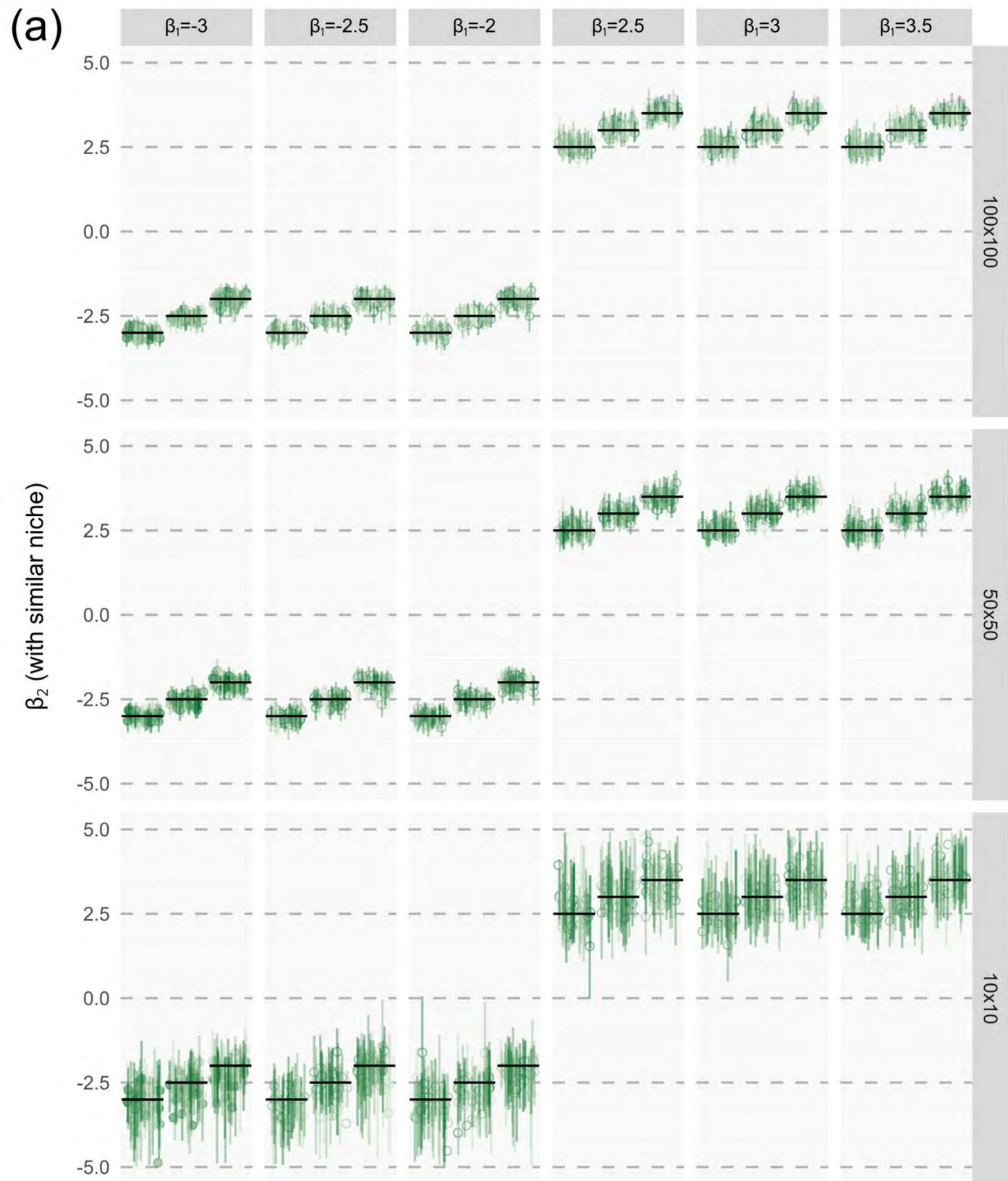
540 combinations repeated
10x, resulting in 5,400
simulation runs

Parameter	Description	Values in the simulation
α	Intercept (always $\alpha_1 = \alpha_2$)	5 (fixed)
<u>β_1 and β_2</u>	The species-specific effect (slope) of the environmental predictor driving the point process intensity	-3, -2.5, -2, 2.5, 3, 3.5
var	Residual variance (with $var_1 = var_2$)	1 (fixed)
<u>cov</u>	Residual covariance (with $cov_{1,2} = cov_{2,1}$) representing species association	-0.9, -0.5, 0, 0.5, 0.9
<u>$grid$</u>	The grain at which we sampled the species data	10x10, 50x50, 100x100

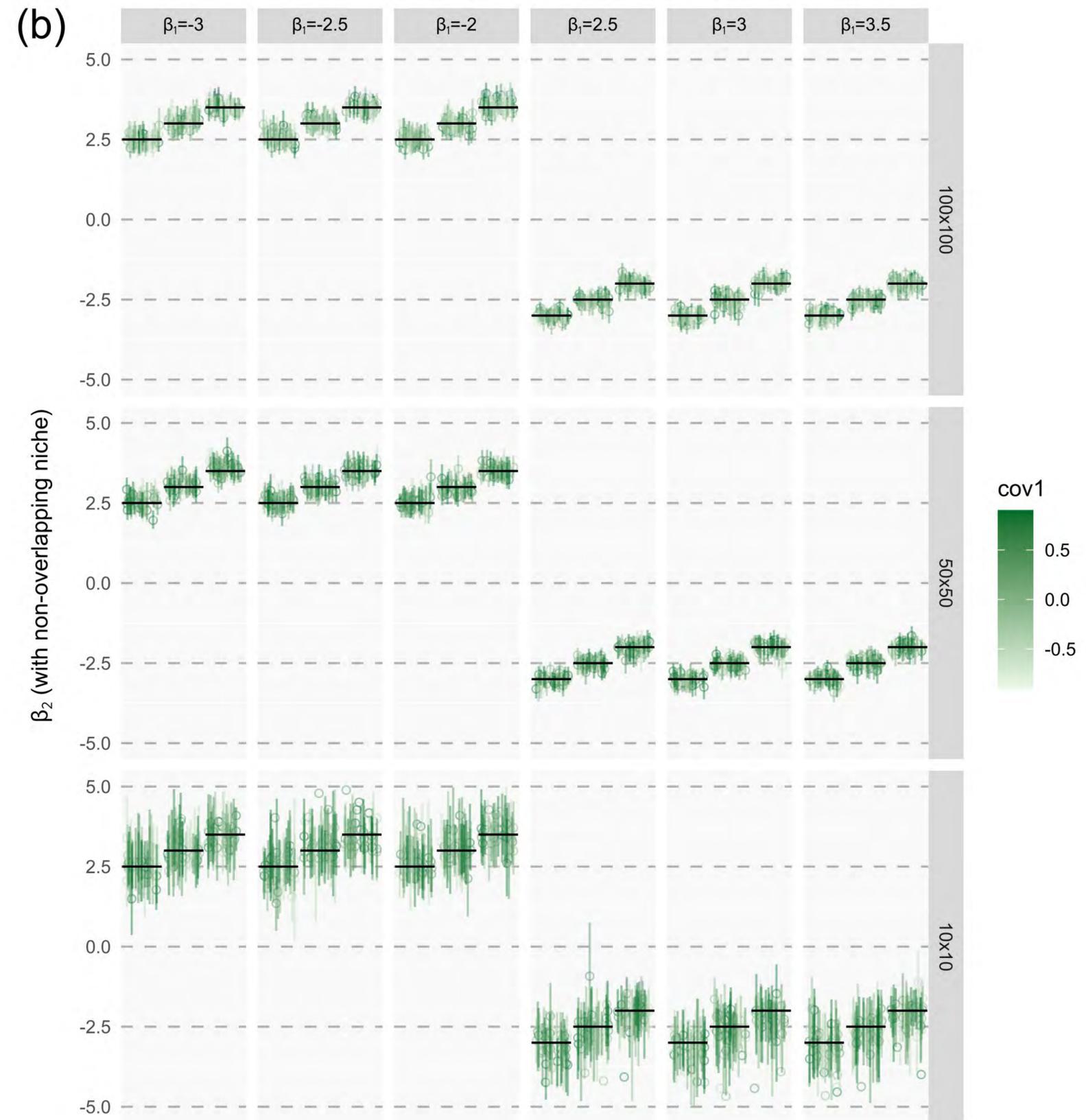
Note: using 200 cores, the abundance model took 10 hours to run, and the presence-absence model took 23 hours

Results

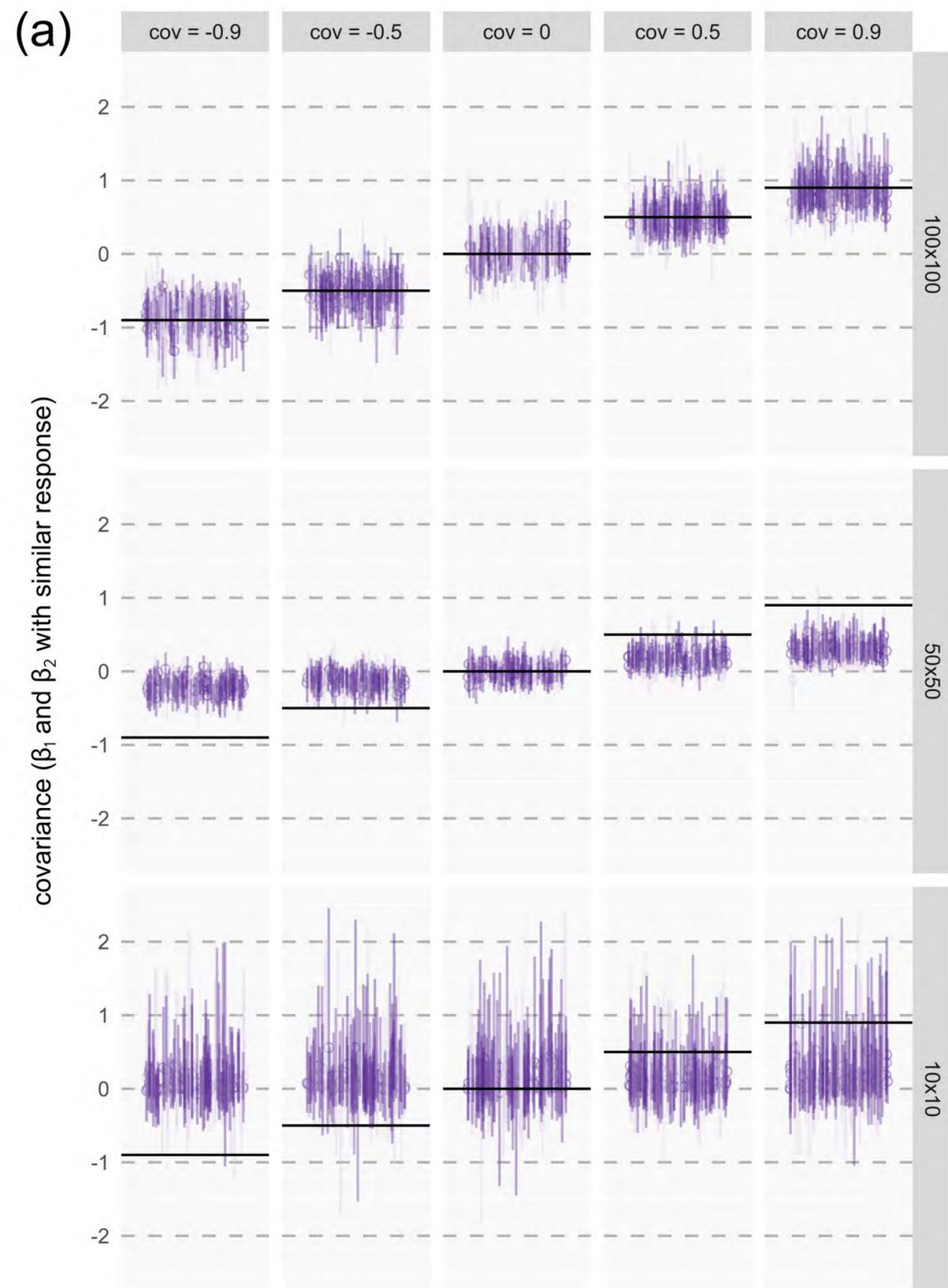
with **similar** niche



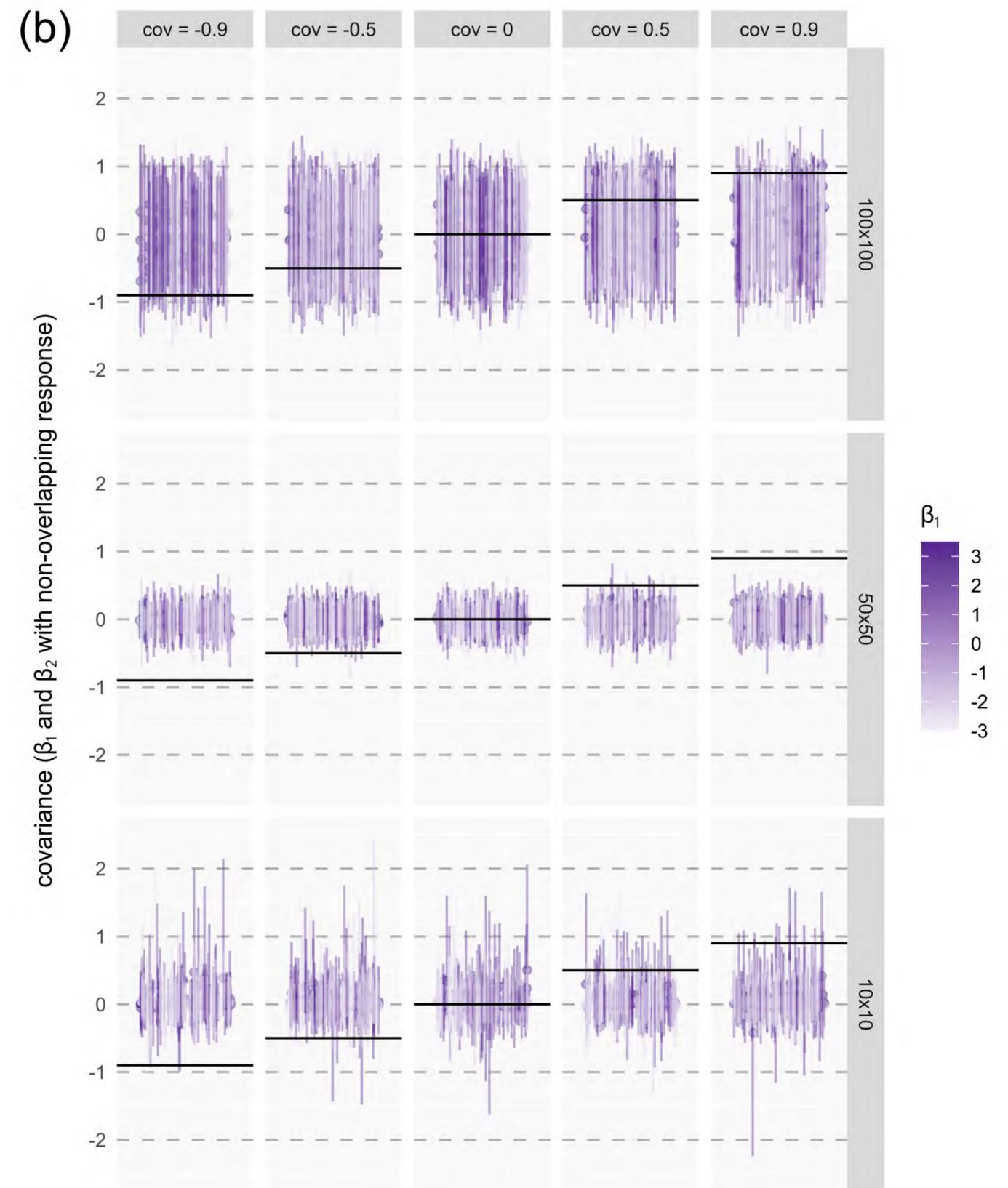
with **non-overlapping** niche



with **similar** niche



with **non-overlapping** niche



Discussion

Discussion

Can fine-scale associations be detected using coarse-grain data with IJSDMs?

The correct species associations can **only** be detected using:

1. fine-grain data (at the grain of the simulated interaction) and
2. when both species respond similarly to the environment.

Thus, running the IJSDM with data sources at coarse resolutions can provide incorrect estimates of the species' associations.

Discussion

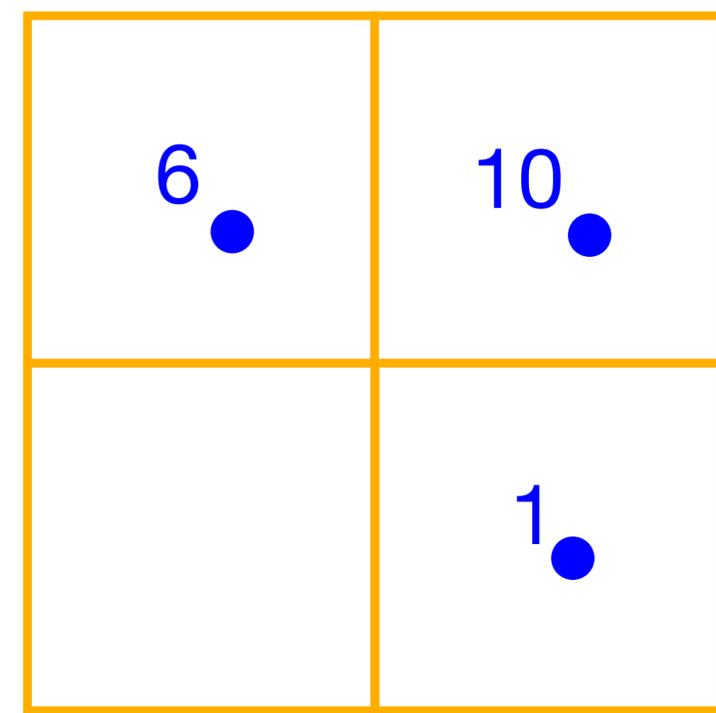
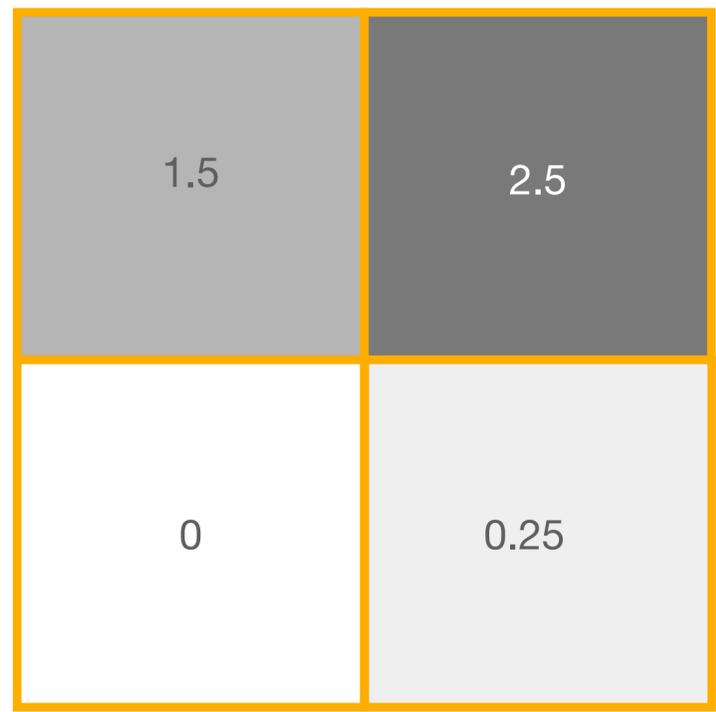
Why does the association disappear towards coarse grains?

The image is a collage of mathematical content overlaid on a background image of a woman's face. The content includes:

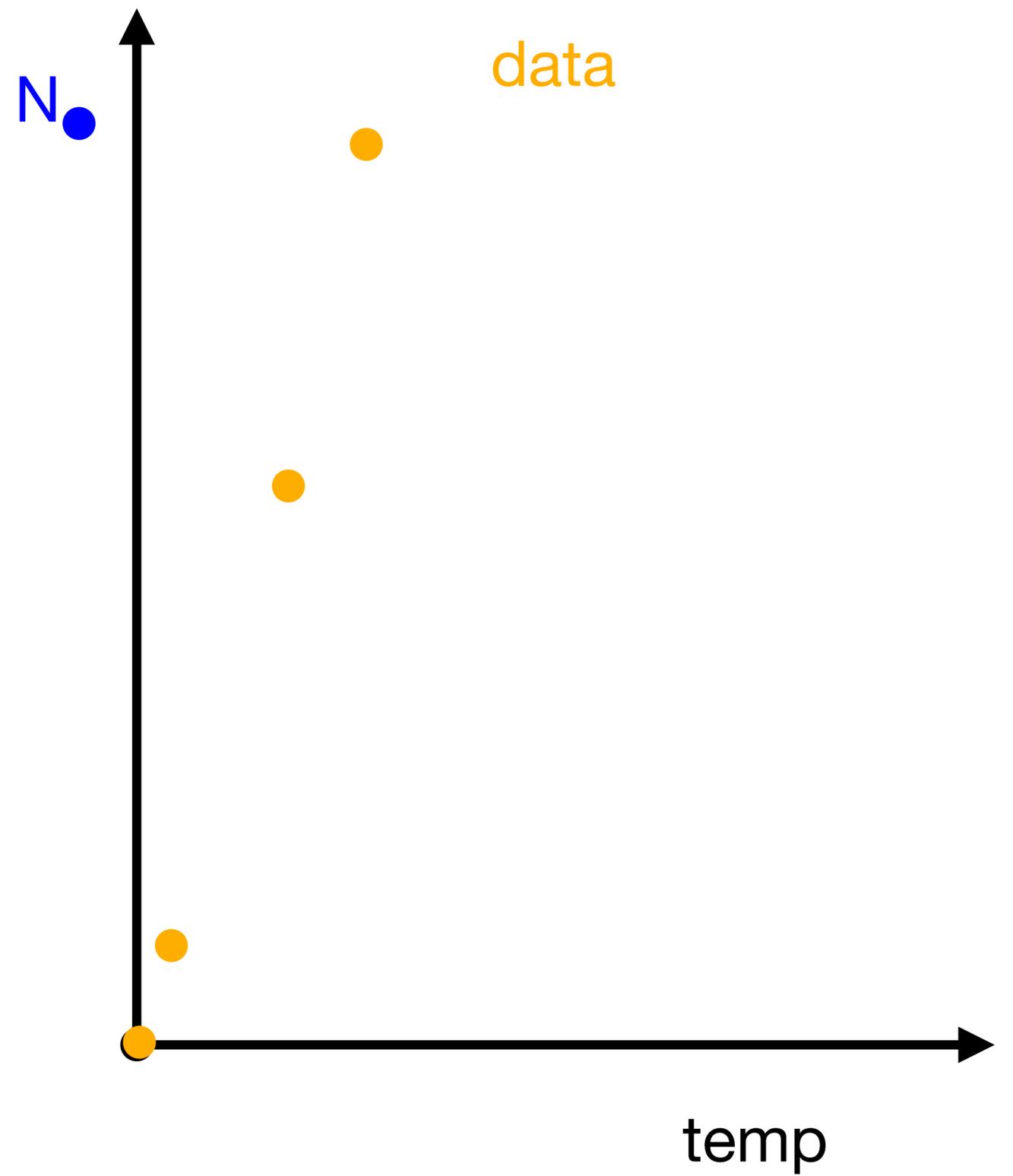
- Circle:** A diagram of a circle with radius r .
Formulas: $A = \pi r^2$ and $C = 2\pi r$.
- Cone:** A diagram of a cone with radius r and height h .
Formula: $V = \frac{1}{3} \pi r^2 h$.
- Cylinder:** A diagram of a cylinder with radius r .
Formula: $V = \pi r^2 h$.
- Trigonometry Table:**

	30°	45°	60°
sin	$\frac{1}{2}$	$\frac{\sqrt{2}}{2}$	$\frac{\sqrt{3}}{2}$
cos	$\frac{\sqrt{3}}{2}$	$\frac{\sqrt{2}}{2}$	$\frac{1}{2}$
tan	$\frac{\sqrt{3}}{3}$	1	$\sqrt{3}$
- Right Triangle:** A right-angled triangle with angles 30°, 45°, and 60°. The side opposite 30° is x , the side opposite 45° is $x\sqrt{3}$, and the hypotenuse is $2x$.
- Integration Formulas:**
 - $\int \sin x dx = -\cos x + C$
 - $\int \frac{dx}{\cos^2 x} = \tan x + C$
 - $\int \tan x dx = -\ln|\cos x| + C$
 - $\int \frac{dx}{\sin x} = \ln\left|\frac{x}{2}\right| + C$
 - $\int \frac{dx}{a^2 + x^2} = \frac{1}{a} \arctg \frac{x}{a}$
 - $\int \frac{dx}{x^2 - a^2} = \frac{1}{2a} \ln\left|\frac{x-a}{x+a}\right| + C$
- Graph:** A graph of the tangent function $\tan(\theta)$ versus θ/rad . The vertical axis ranges from -5 to 10, and the horizontal axis is labeled θ/rad .
- Quadratic Equations:**
 - $ax^2 + bx + c = 0$
 - $a\left(x^2 + \frac{b}{a}x + \frac{c}{a}\right) = 0$
 - $x^2 + 2\frac{b}{2a}x + \left(\frac{b}{2a}\right)^2 - \left(\frac{b}{2a}\right)^2 + \frac{c}{a} = 0$
 - $\left(x + \frac{b}{2a}\right)^2 - \frac{b^2 - 4ac}{4a^2} = 0$

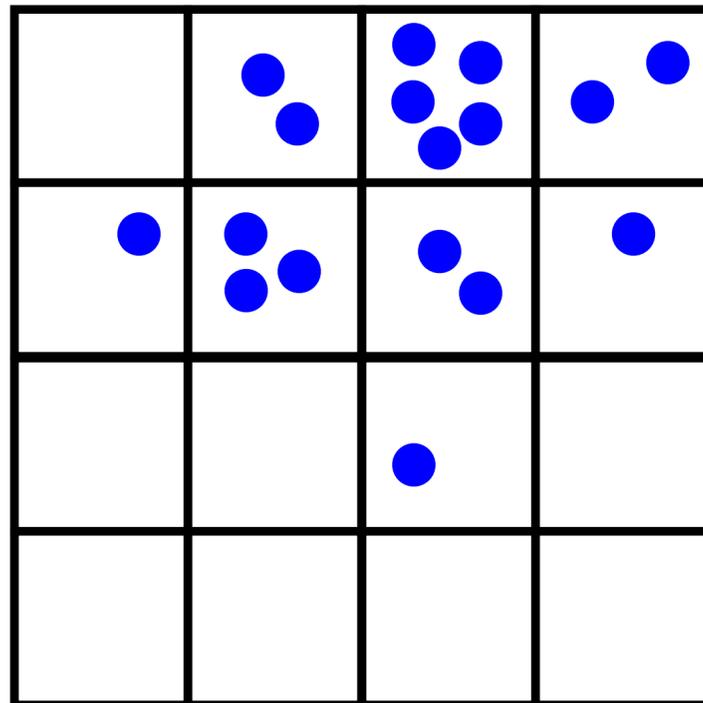
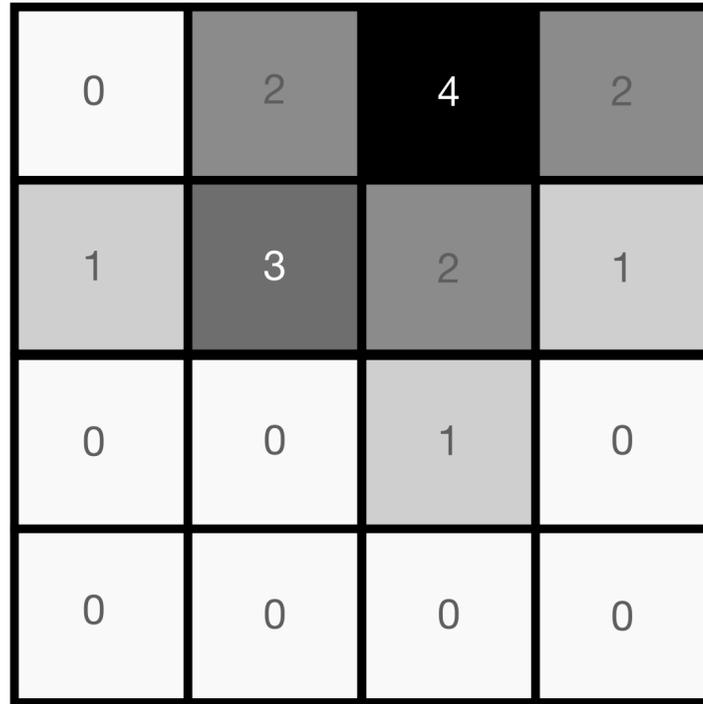
temp_{coarse}



data

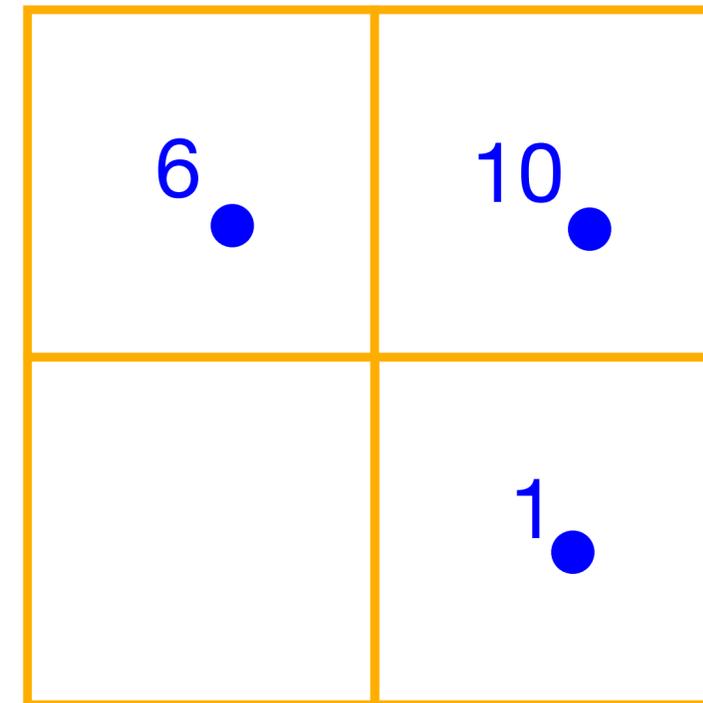
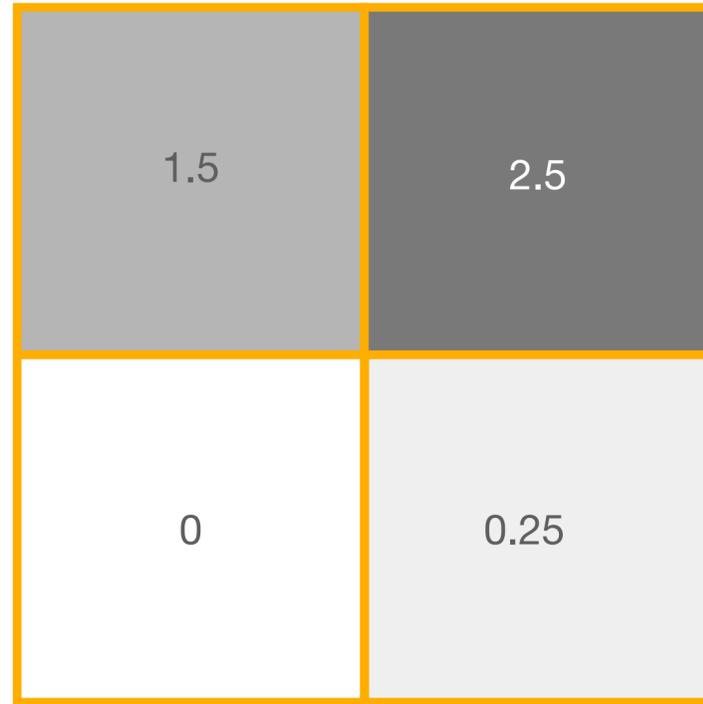


temp_{fine}

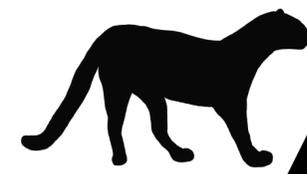


latent state

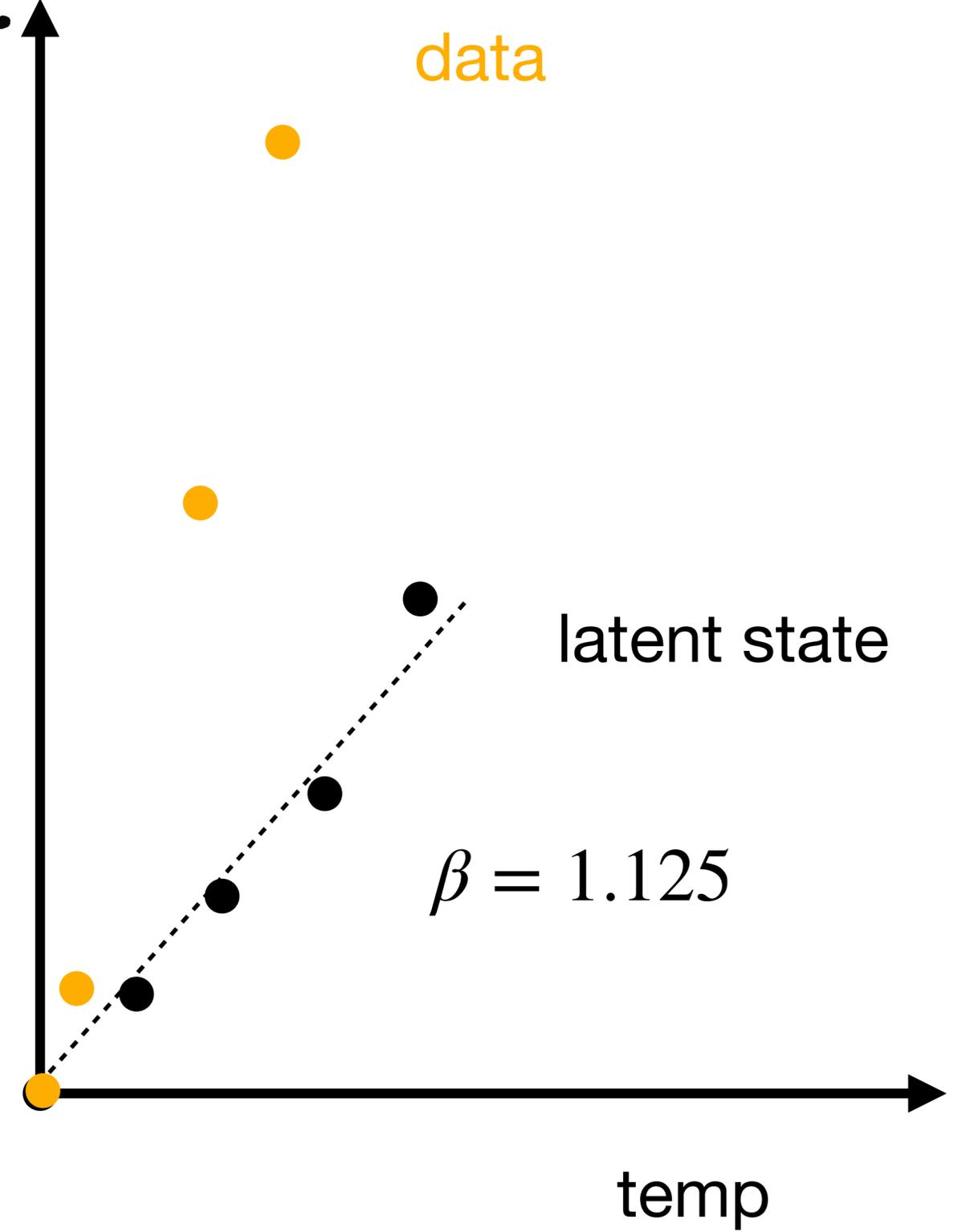
temp_{coarse}

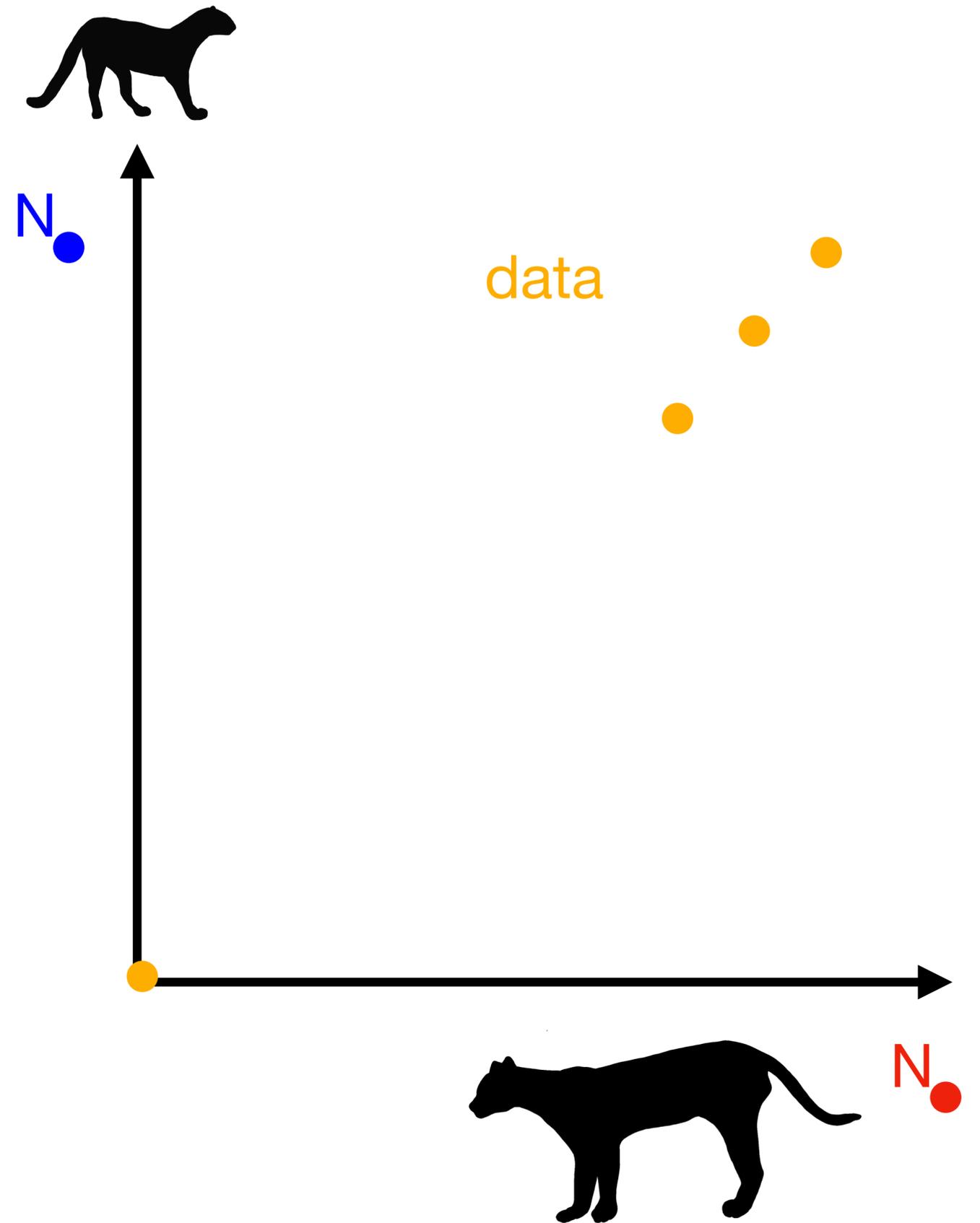
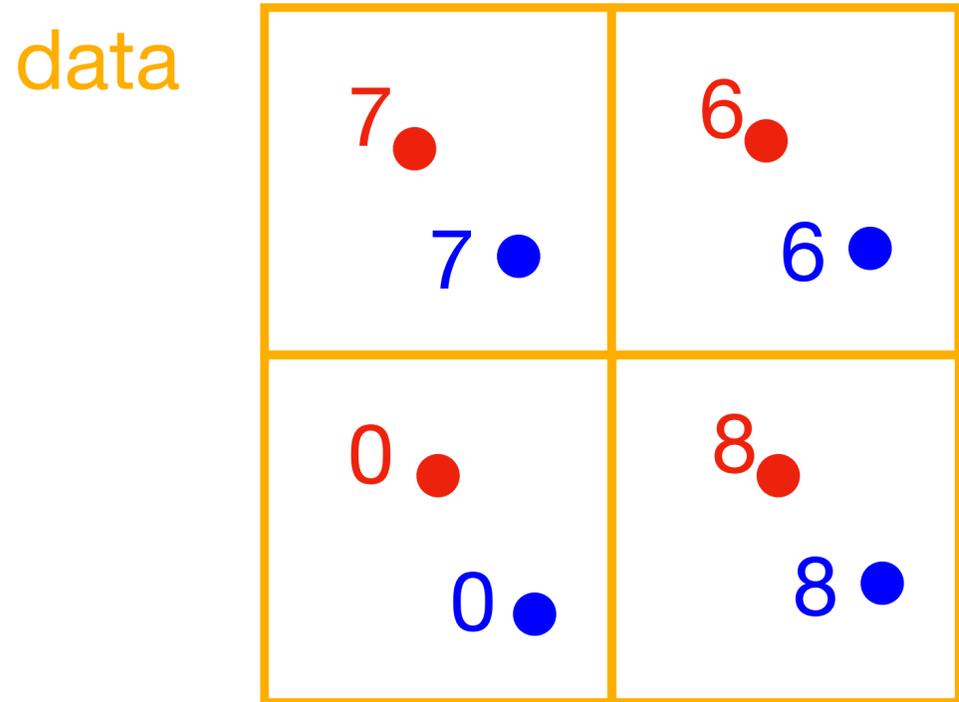


data



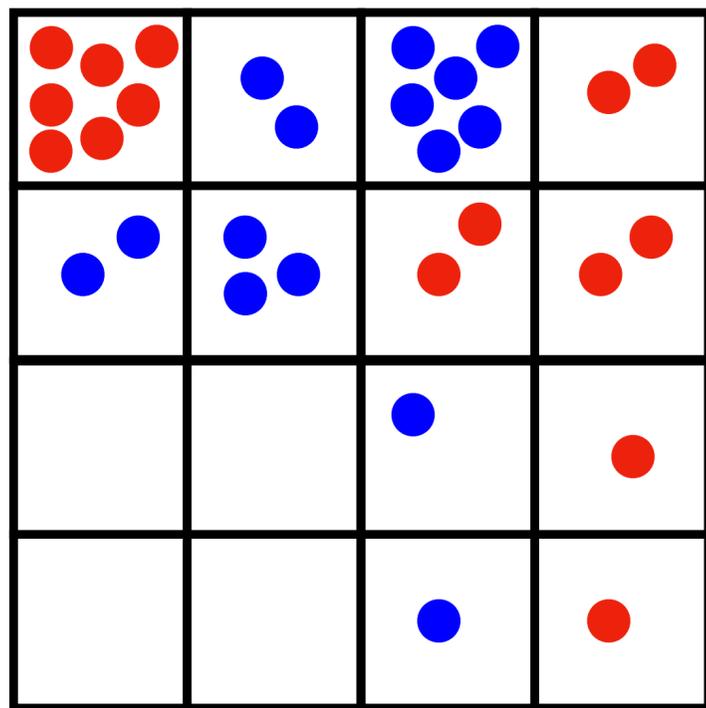
N



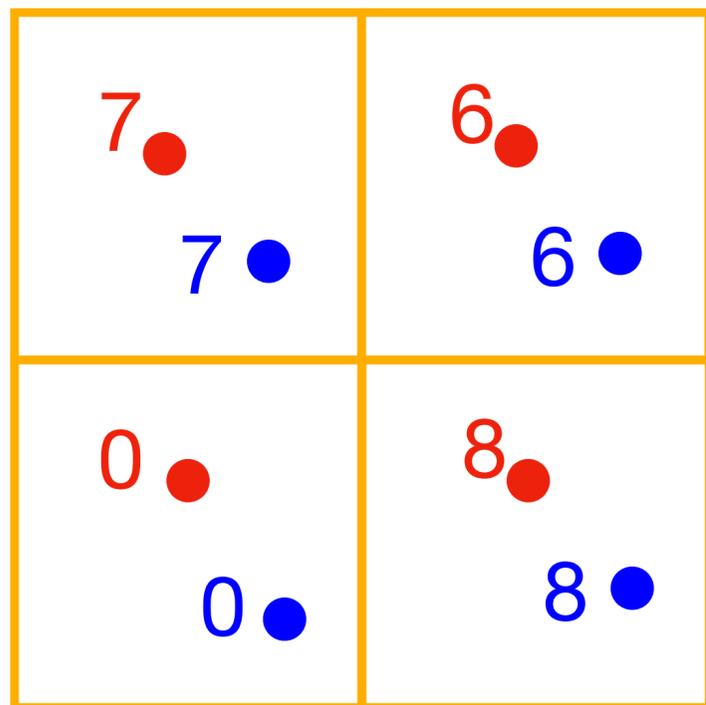


$COV_{(-)}$

latent state



data



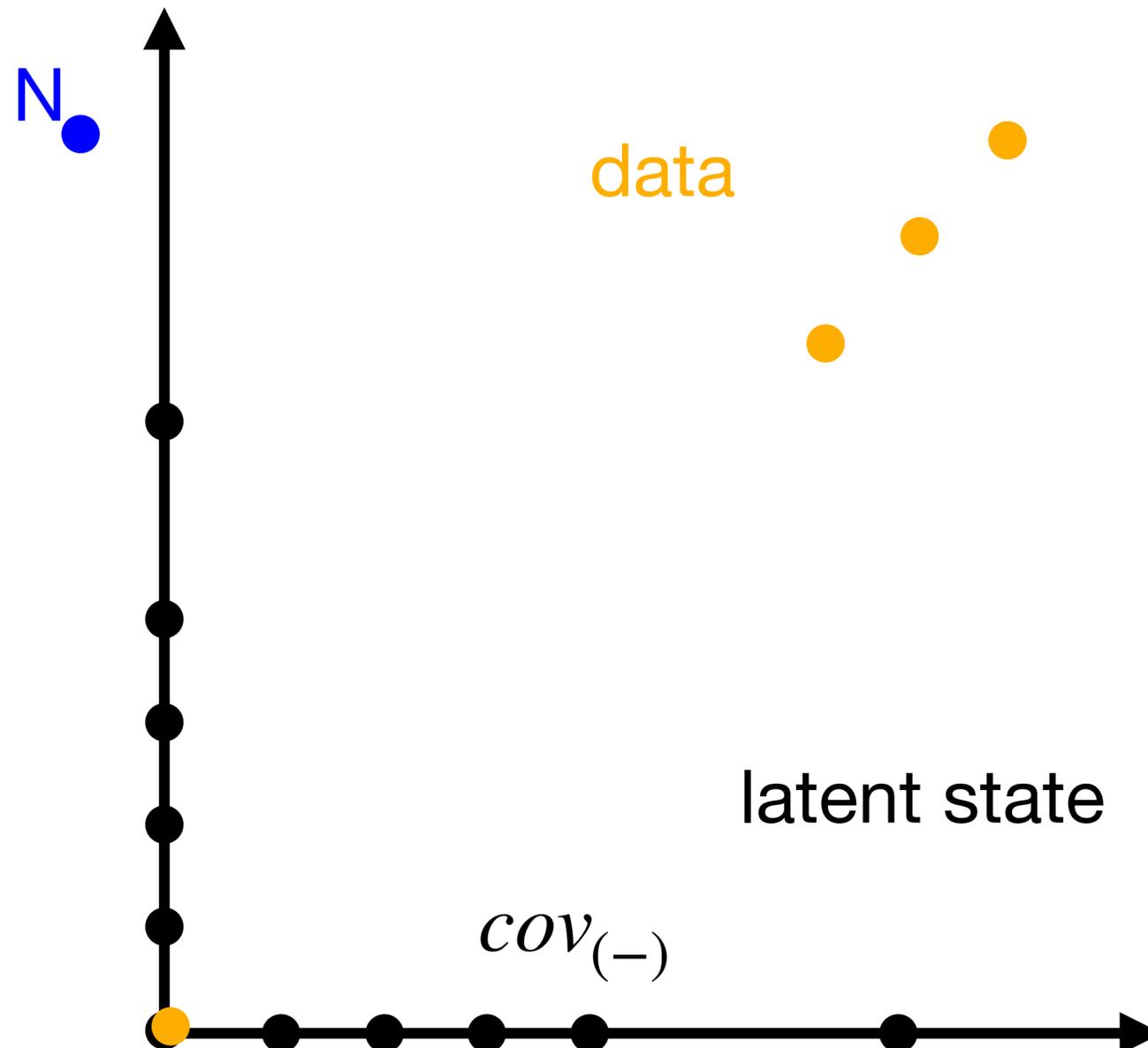
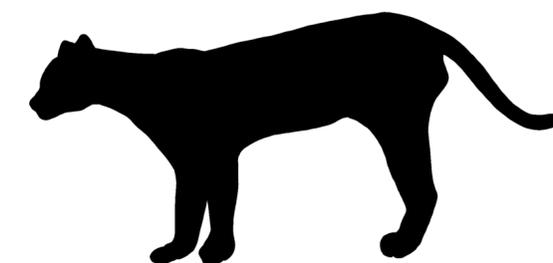
N

data

latent state

$COV_{(-)}$

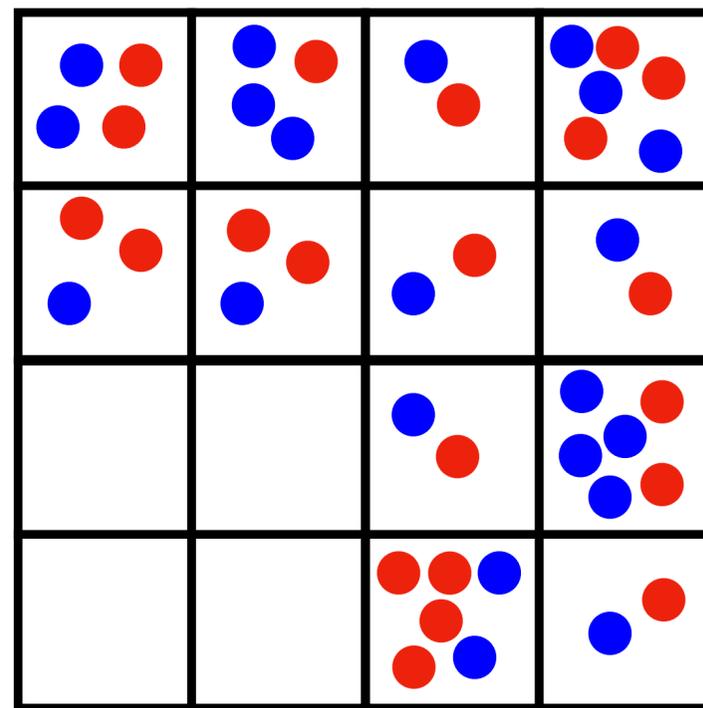
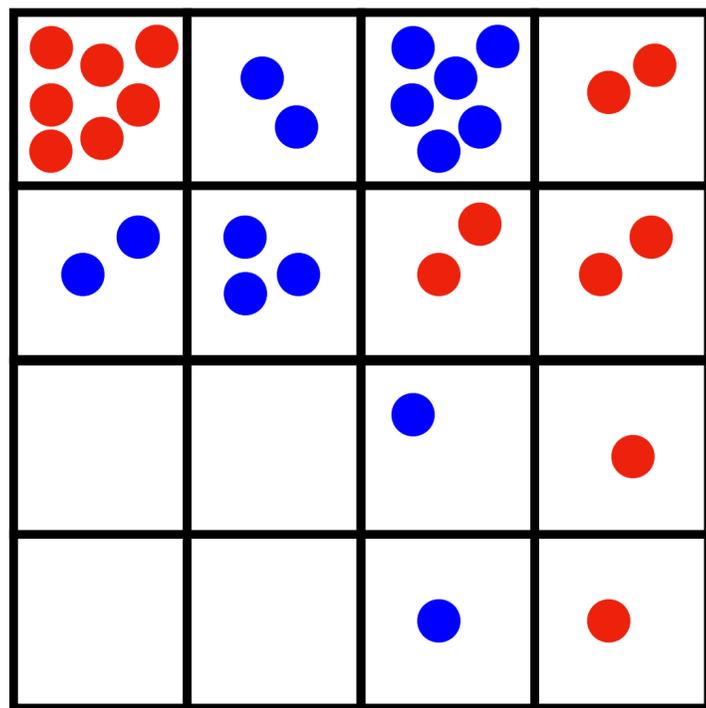
N



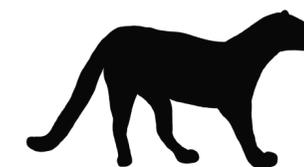
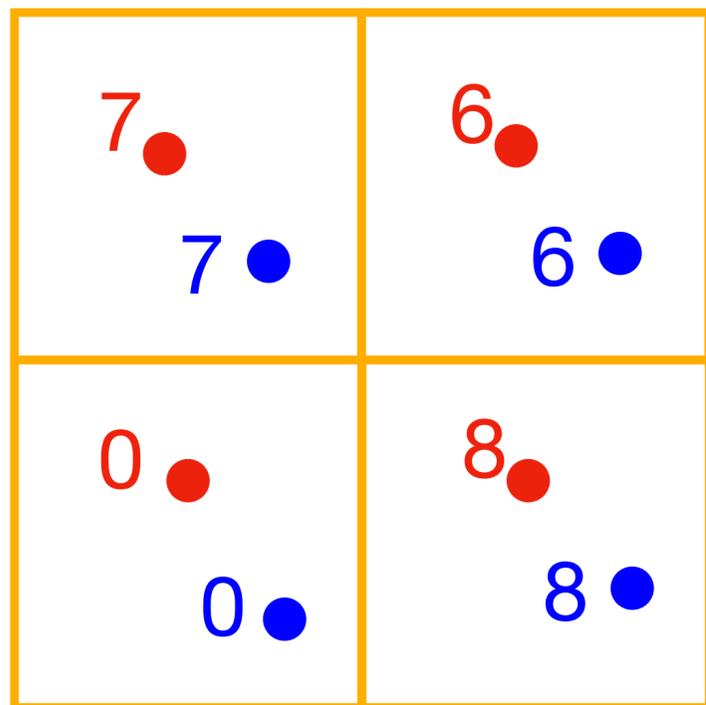
$COV_{(-)}$

latent state

$COV_{(+)}$



data



N

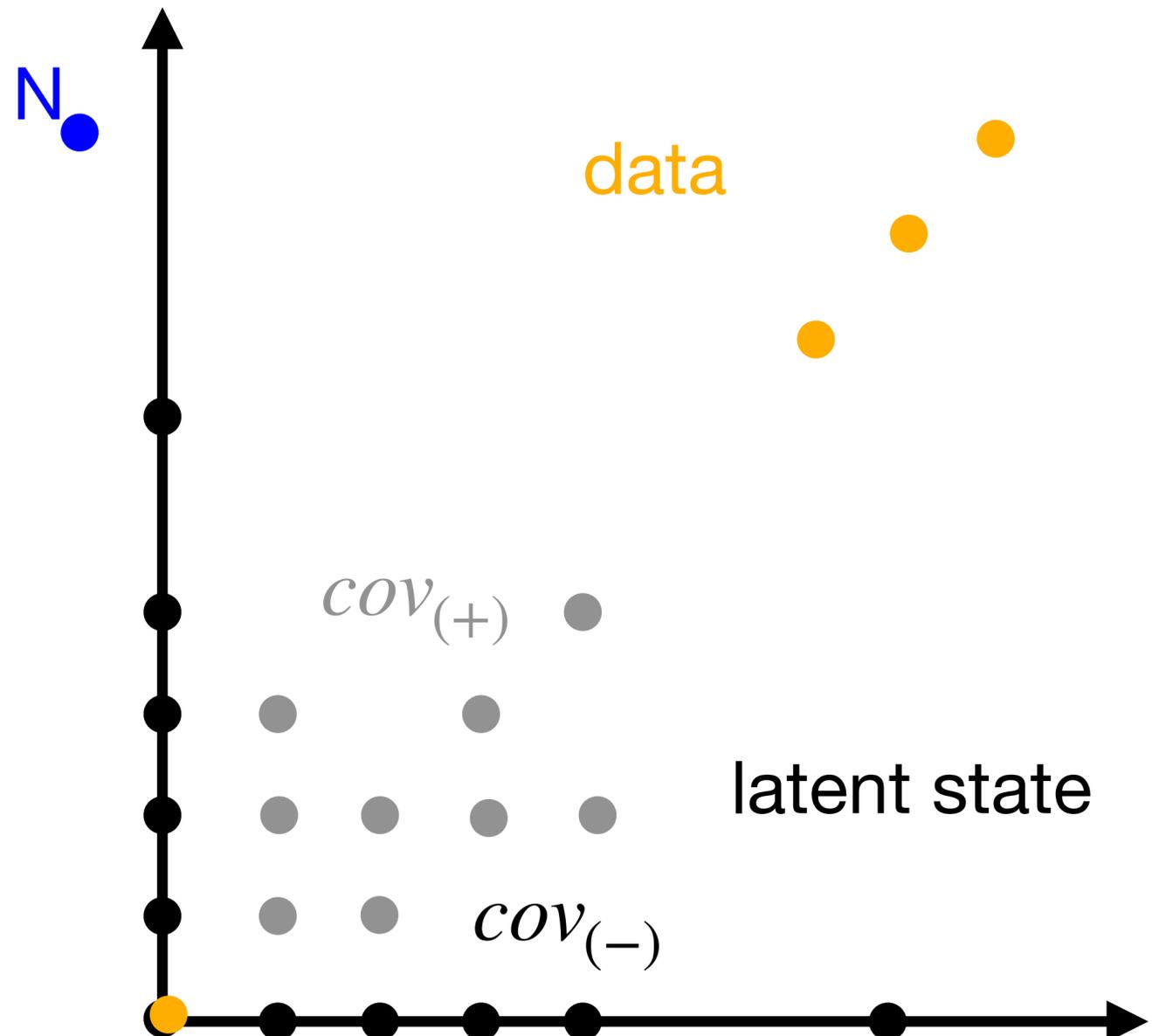
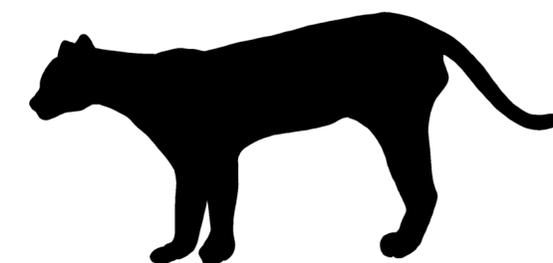
data

$COV_{(+)}$

latent state

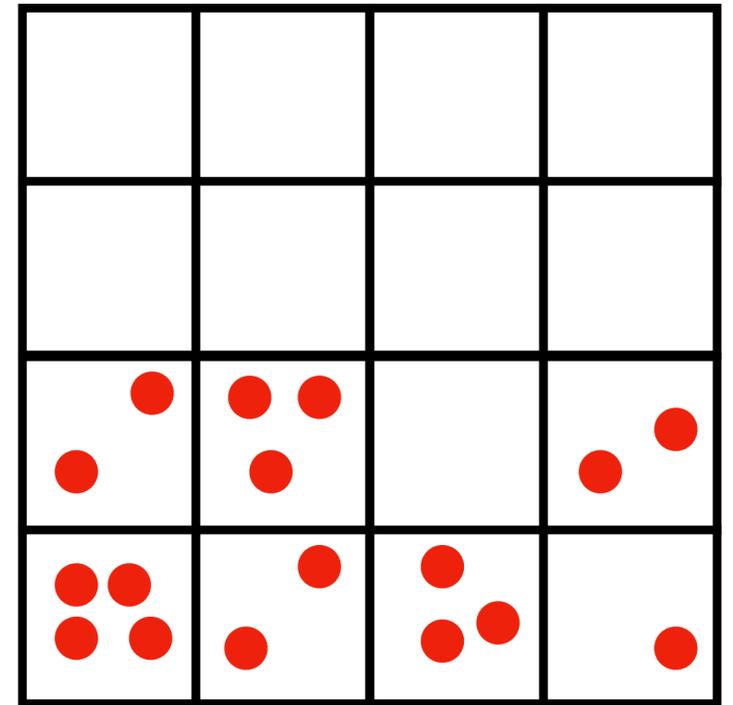
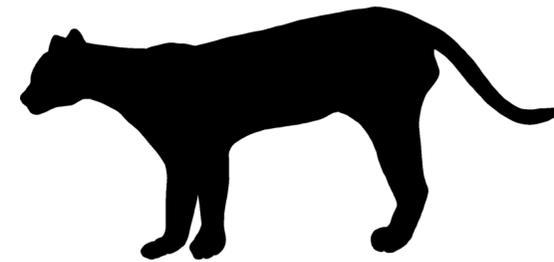
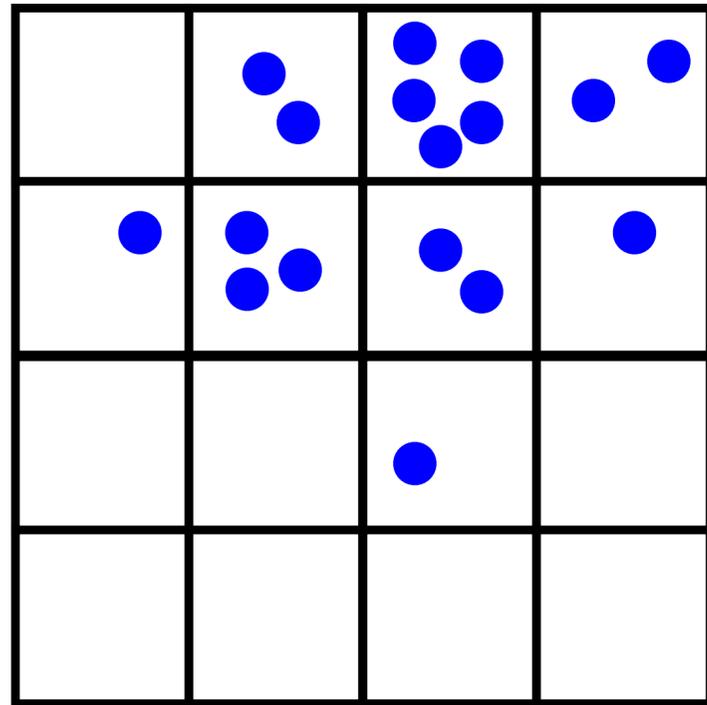
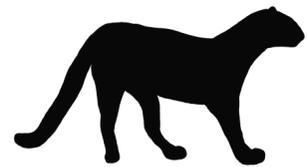
$COV_{(-)}$

N



Discussion

The effect of similar vs opposite niche



Take-home messages

IJSDMs

- 1 It's not possible to get the fine-grain species associations from coarse-grain data using IJSDMs.
- 2 Perhaps by including some fine-scale data in the IJSDM, the model can correct itself by borrowing information.

¡Gracias!



Czech University
of Life Sciences Prague



MOBI
Lab



BEAST
Project

Thanks to my co-authors: Gurutzeta Guillera-Arroita, José Lahoz-Monfort, and Petr Keil

Acknowledgements

Thanks to Gabriel Ortega Solís for helping with the MOBI Lab server.

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European Research Council. Grant Number: 101044740

Credits

Photos jaguraundi (*Herpailurus yagouaroundi*) by hhulsberg (CC-BY-NC) and ocelot (*Leopardus pardalis*) by quiltedquetzal (CC-BY-NC) via iNaturalist. Silhouettes by Gabriela Palomo-Muñoz (CC BY-NC) and Margot Michaud (CC0), via PhyloPic.



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